

Taming quark chromoEDM contribution to the neutron EDM

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Introduction

Form Factors

Vector form-factors

Dirac F_1 , Pauli F_2 , **Electric dipole F_3** , and **Anapole F_A**

Sachs electric $G_E \equiv F_1 - (q^2/4M^2)F_2$ and magnetic $G_M \equiv F_1 + F_2$

$$\begin{aligned} \langle N | V_\mu(q) | N \rangle &= \bar{u}_N \left[\gamma_\mu F_1(q^2) + i \frac{[\gamma_\mu, \gamma_\nu]}{2} q_\nu \frac{F_2(q^2)}{2m_N} \right. \\ &\quad + (2i m_N \gamma_5 q_\mu - \gamma_\mu \gamma_5 q^2) \frac{F_A(q^2)}{m_N^2} \\ &\quad \left. + \frac{[\gamma_\mu, \gamma_\nu]}{2} q_\nu \gamma_5 \frac{F_3(q^2)}{2m_N} \right] u_N \end{aligned}$$

- The charge $G_E(0) = F_1(0) = 0$.
- $G_M(0)/2M_N = F_2(0)/2M_N$ is the (anomalous) magnetic dipole moment.
- $F_3(0)/2m_N$ is the electric dipole moment.
- F_A violates PT; F_3 violates CP.

Introduction

Phase convention

- Theory does not have P symmetry,
- but asymptotic In and Out states do.
- Not necessarily implemented by γ_0 .

In fact,

$$\Sigma \cdot F \propto \begin{pmatrix} \sigma \cdot B & i\sigma \cdot E \\ i\sigma \cdot E & \sigma \cdot B \end{pmatrix},$$

which is $\sigma \cdot B$ in the rest frame only if $(i\not{p} + m) = 0$.

Previous calculations had missed this effect: including it reduces the signal.

Introduction

BSM Operators

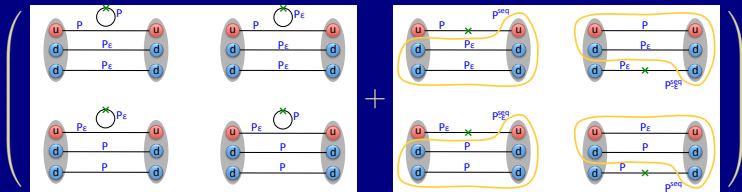
Standard model CP violation in the weak sector.
 Strong CP violation from dimension 3 and 4 operators anomalously small.

- Dimension 3 and 4:
 - CP violating mass $\bar{\psi}\gamma_5\psi$.
 - Topological charge $G_{\mu\nu}\tilde{G}^{\mu\nu}$.
- Suppressed by v_{EW}/M_{BSM}^2 :
 - Electric Dipole Moment $\bar{\psi}\Sigma_{\mu\nu}\tilde{F}^{\mu\nu}\psi$.
 - Chromo Dipole Moment $\bar{\psi}\Sigma_{\mu\nu}\tilde{G}^{\mu\nu}\psi$.
- Suppressed by $1/M_{BSM}^2$:
 - Weinberg operator (Gluon chromo-electric moment):
 $G_{\mu\nu}G_{\lambda\nu}\tilde{G}_{\mu\lambda}$.
 - Various four-fermi operators.

Lattice Calculation

Three-point function

$$e^{i\epsilon} \text{ (circle with a red X) } \times$$

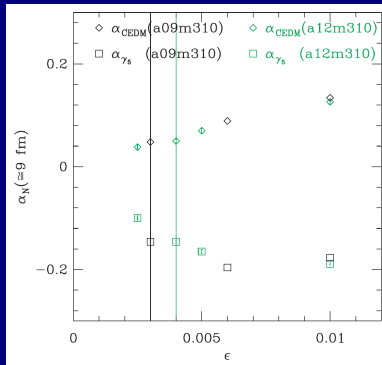


The chromoEDM operator is dimension 5.
 Uncontrolled divergences unless $\epsilon \lesssim 4\pi a \Lambda_{\text{QCD}} \sim 1$.
 Need to check linearity.

Lattice Calculation

Two-point function

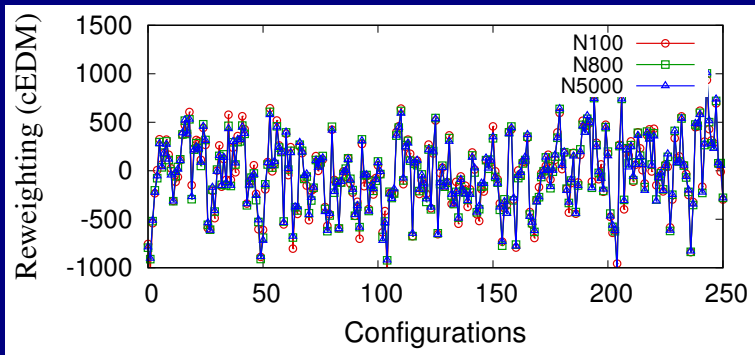
Find asymptotic Parity operator: $e^{i\alpha\gamma_5}\gamma_0$ from two-point function.



Preliminary; Connected Diagrams Only

Lattice Calculation

Disconnected diagrams



Also calculate disconnected contribution to flavor diagonal (isoscalar) charges.

SPC questions

Agreement between groups

Ensembles	PNDME	CaLAT	χ QCD
a12m310	1.229(14)	1.237(07)	1.22(4)
a12m220S	1.270(40)	1.272(28)	
a12m220	1.240(32)	1.259(15)	
a12m220L	1.255(16)	1.252(21)	
a09m310	1.231(33)	1.258(14)	1.21(3)

SPC questions

Spatial versus Temporal

$$\bar{\psi} \gamma_5 \sigma_{\mu\nu} \overleftrightarrow{D}_\nu \psi \propto \bar{\psi} \gamma_5 \gamma_\mu (\not{D} - m) \psi + m \bar{\psi} \gamma_5 \gamma_\mu \psi$$

- The first contributes $O(a^2)$ except for contact terms.
- The second is a mass dependent renormalization.
- We use space component and assign 2–3% for $O(a^2)$.
- Our estimates agree.

Conclusions

Request

- Analyze $32^3 \times 96$ a09m310
- Disconnected diagrams
- cEDM and Quark bilinears
 - Axial form factors
 - Vector form factors
 - Flavor diagonal scalar and tensor charges

43M Jpsi core hours.